

Detection of Energetic Particles

by

a network of HF propagation paths in Alaska.

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- 1. Energetic particle causes ionization at lower heights of the atmosphere.**
- 2. The more energetic the particle the lower it reaches down in the atmosphere.**
- 3. HF horizontal propagation paths are sensitive to plasma density in the atmosphere.**
- 4. Phase sensitive detection allows lower limit of detection of charge densities. Phase-loop method is sensitive to 0.1 degree.**
- 5. Calibration by laser produced plasmas. Laser on dust target.**

Three concepts:

1. All Alaska monitoring using cell phone base stations.

2. Laser focused by large (2.7 M) rotating mercury mirror.

Laser-dust interactions produce plasmas in the lower ionosphere for calibration and to act Artificial Ionospheric Mirror.

3. Platforms in the Troposphere and Stratosphere made possible by new types of ion engines.

$$\Delta\phi = \int_0^L (k_{vacuum} - k_{plasma}) dx,$$

Assuming constant n_e through length L , we have:

$$\Delta\phi = \frac{\omega}{c} \left[1 - \left(1 - \frac{\omega_{pe}^2}{\omega^2} \right)^{1/2} \right] L$$

$$k_{vacuum} = \frac{\omega}{c} \quad \text{and} \quad k_{plasma} = \frac{(\omega^2 - \omega_{pe}^2)^{1/2}}{c}$$

$$\omega_{pe} = \left(\frac{4\pi n_e e^2}{m_e} \right)^{1/2} = 5.64 \times 10^4 n_e^{1/2} \quad (\text{rad/s})$$

Case 1: $\Delta\phi = 0.02$ rad ($\sim 1^\circ$)

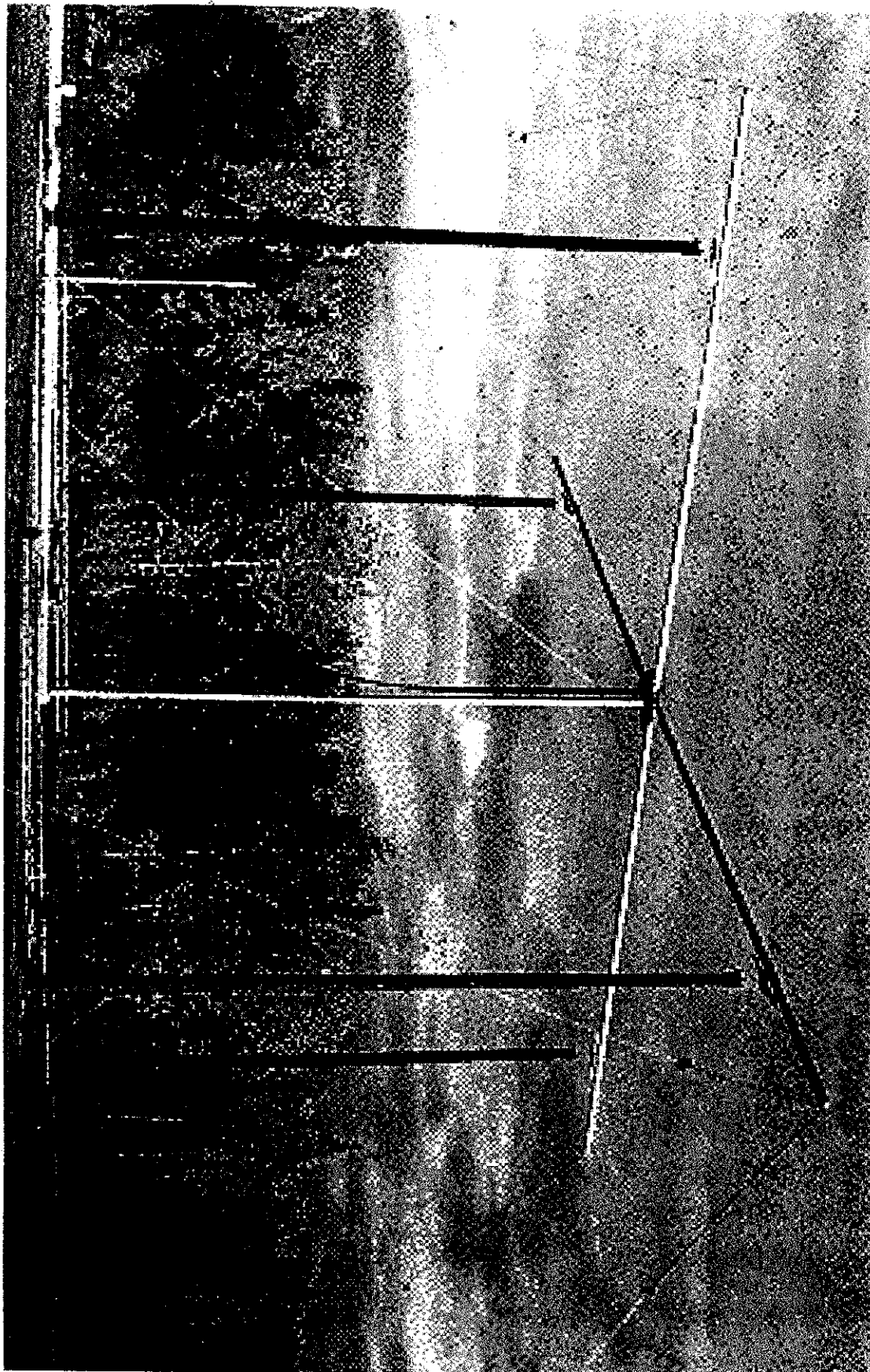
A. for frequency = 4.95 MHz ($\omega \sim 3.1 \times 10^7$ rad/sec)

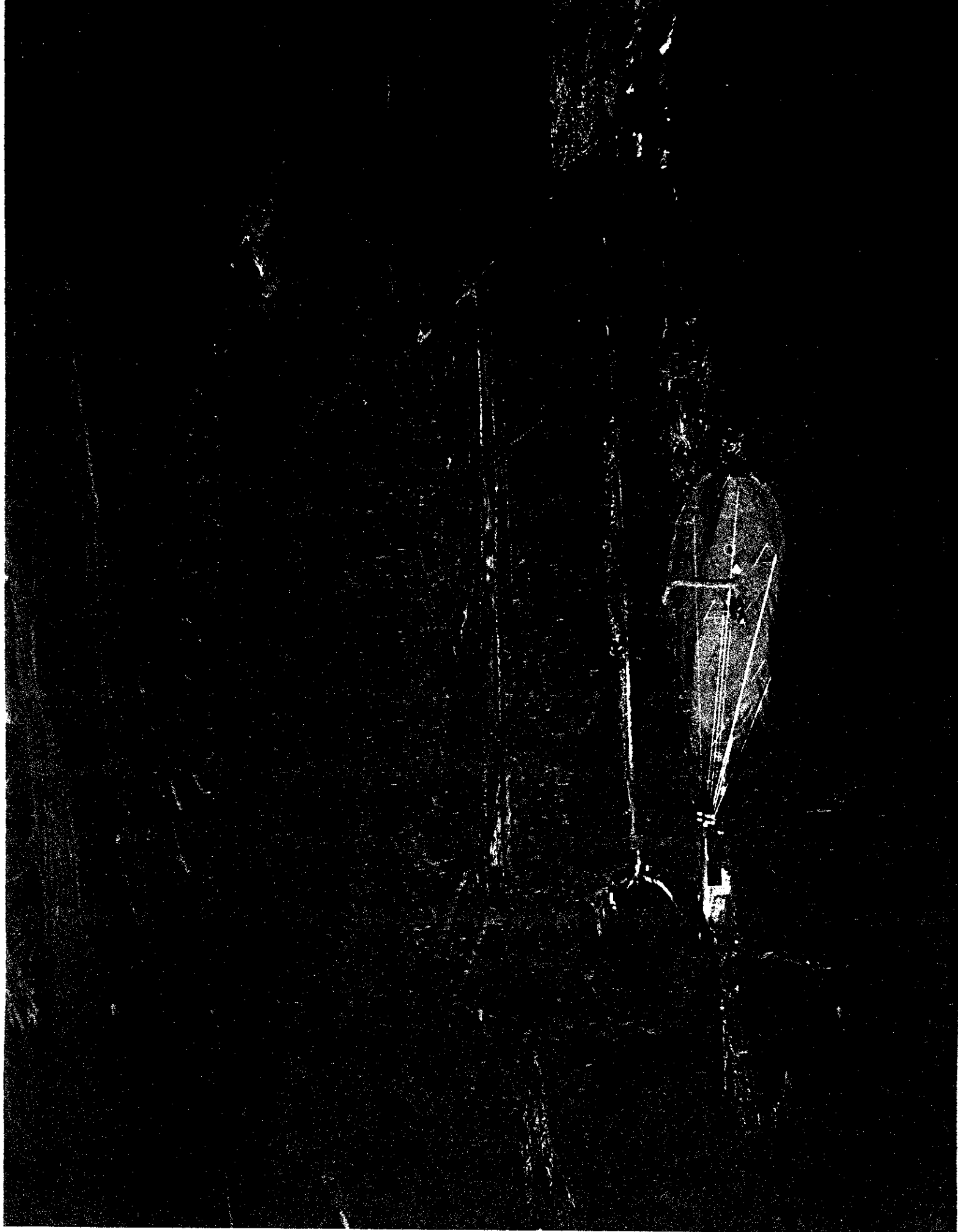
L (km)	ω_{pe} (rad/sec)	N_e (cm^{-3})
1	6.11×10^5	117.3
10	1.93×10^5	11.73
100	0.61×10^5	1.173

Case 1: $\Delta\phi = 0.02$ rad ($\sim 1^\circ$)

B. for frequency = 2.85 MHz ($\omega \sim 1.79 \times 10^7$ rad/sec)

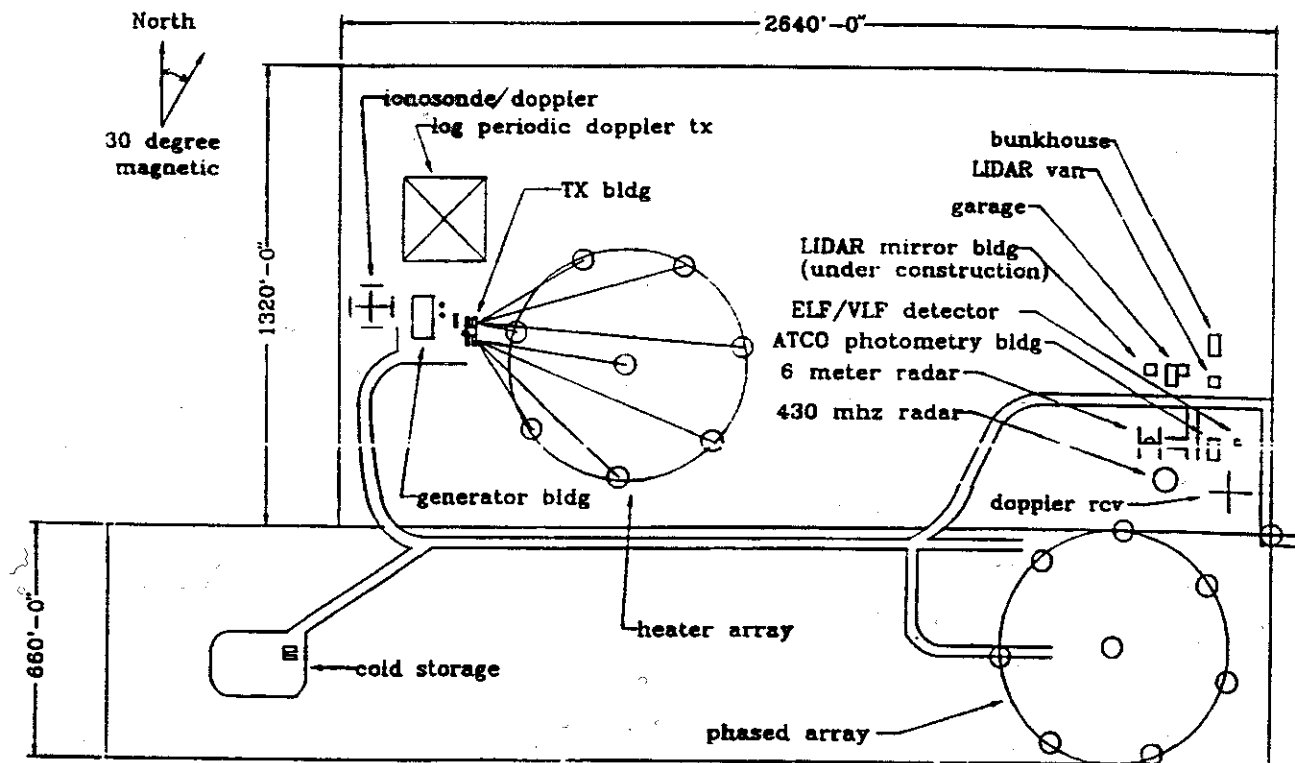
L (km)	ω_{pe} (rad/sec)	N_e (cm^{-3})
1	4.64×10^5	67.5
10	1.47×10^5	6.75
100	0.46×10^5	0.676



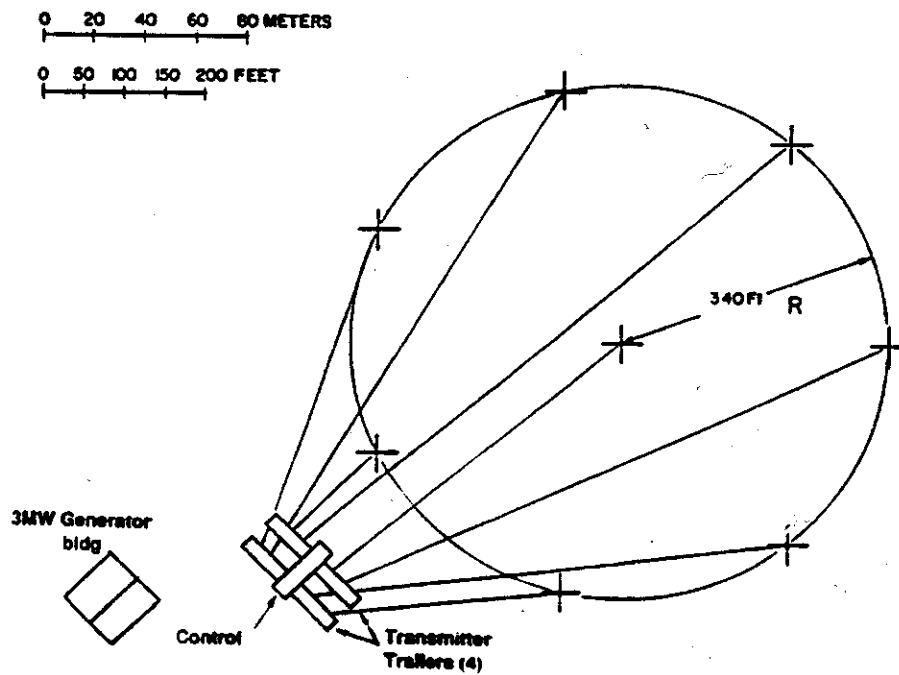


UCLA-HIPAS FACILITY STATION SITE PLAN

September 1994



(a)



(b)

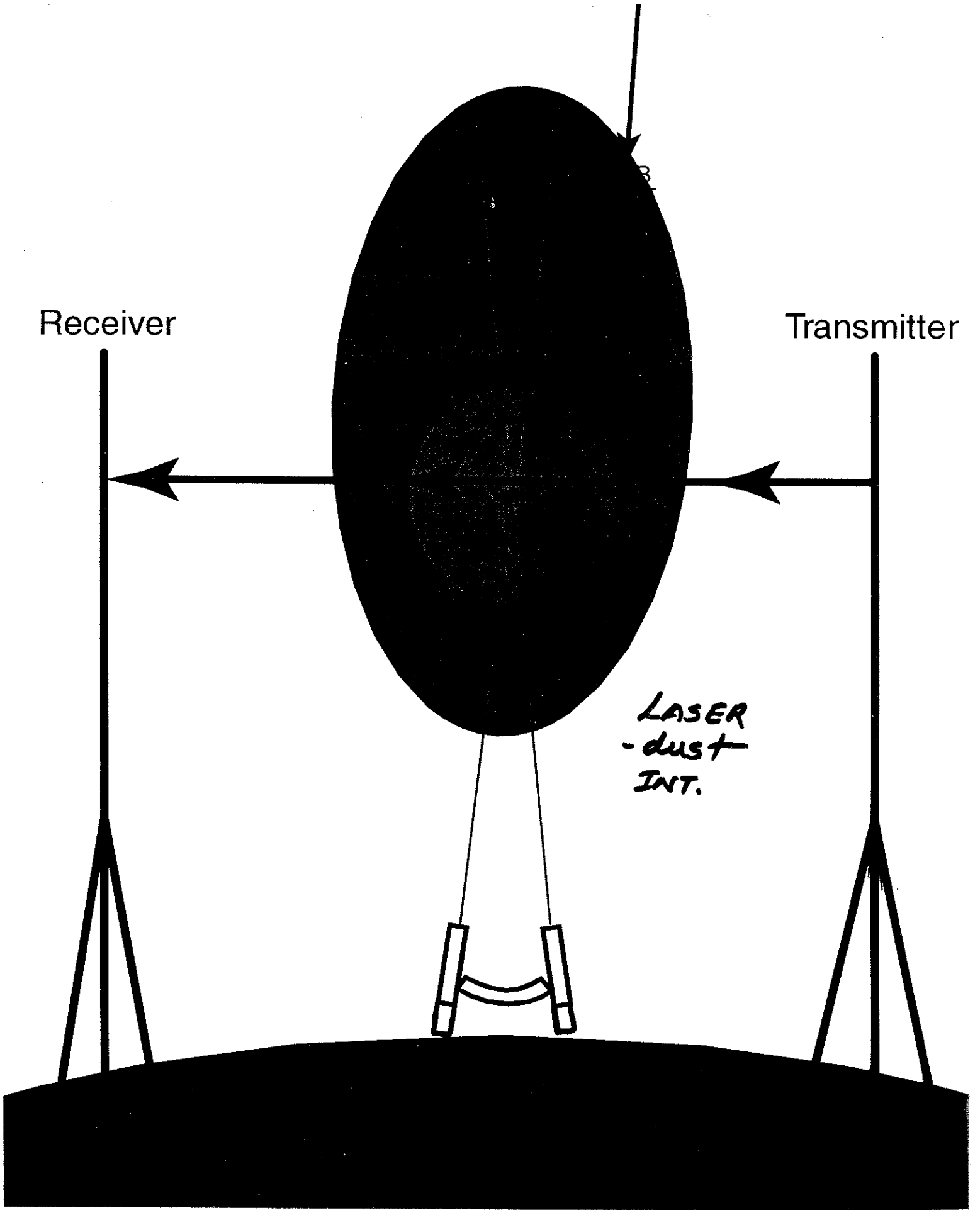
PRESENT SITE LAYOUT

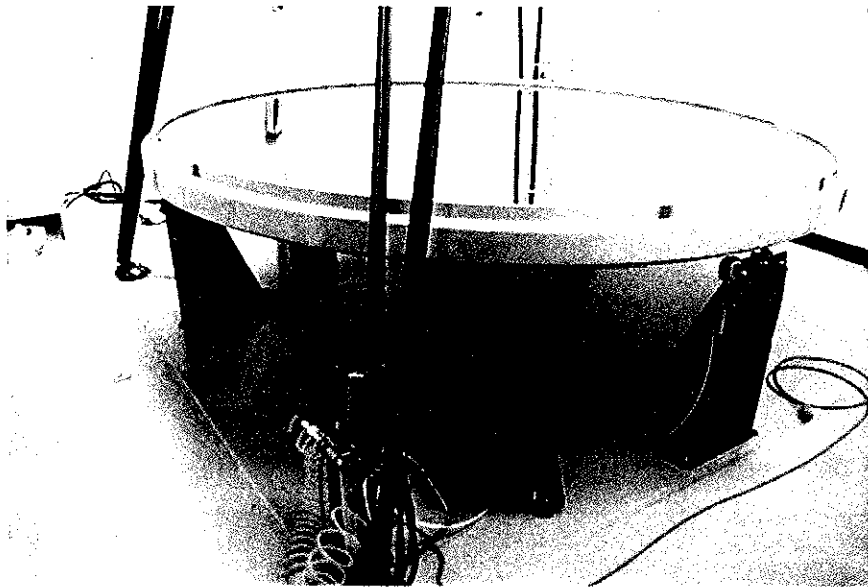
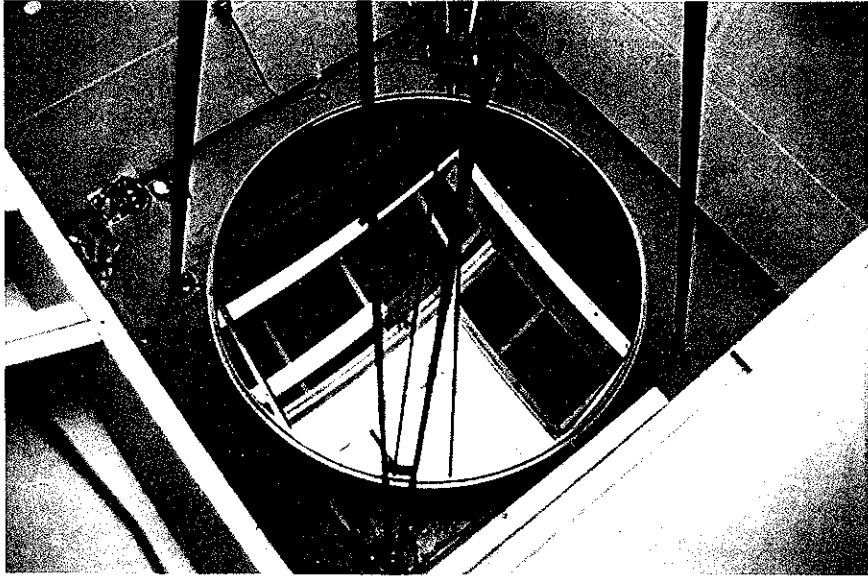
FIGURE 3.8. (a) UCLA-HIPAS facility station site plan, showing on-site diagnostics and the high-power heater. (b) Schematic of the present HIPAS ionospheric radio-frequency heater showing the eight antennas, each connected to a transmitter, with a total output power of 1.25 MW.

Receiver

Transmitter

LASER
-dust
INT.





0 ← 2.7 M → 100 in.

Why HF paths ? Easy to see phase shift and detectors are readily available.

Phase shift is proportional to Line Density and inversely proportional to (probing frequency)²

Phase loop stability technique allows us to see

$$N \times L = 10^5 \text{ to } 10^6 \text{ cm}^{-2}$$

Estimate by Wick et al. $dE/dx = 10^5 \text{ Tev/atm}$

$$\text{Yields } N \times L = 3 \times 10^5 \text{ to } 3 \times 10^6 \text{ cm}^{-2}$$

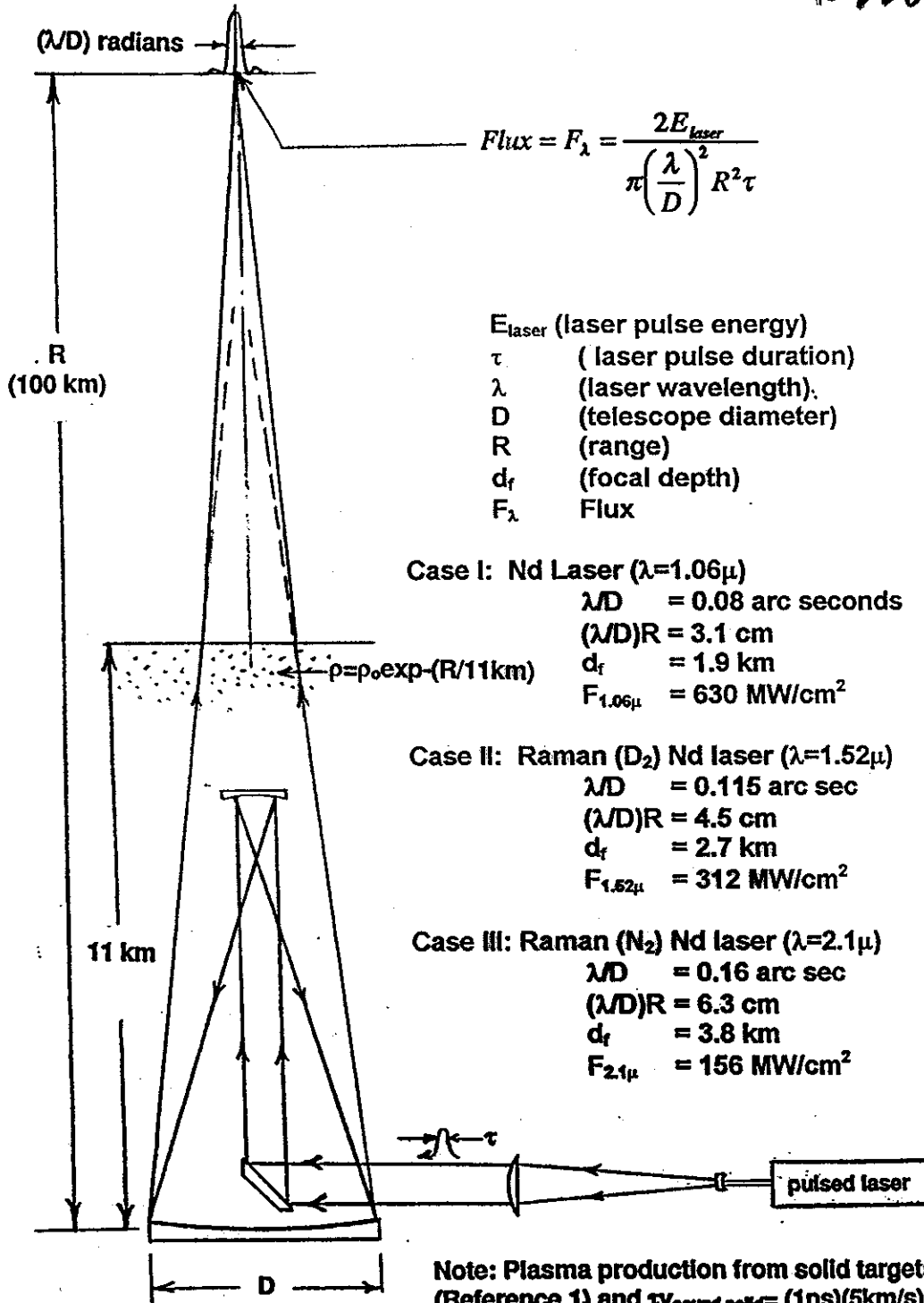
The effects should be observable if

the attachment time is $> 0.2 \text{ us}$

Alaska has clean dry air and the electron attachment time in the presence of ionization radiation can be $> 1 \text{ us}$.

Ideal Homogeneous Atmosphere

FROM
R. WUERKER,
UCLA



E_{laser} (laser pulse energy)	= 10 Joules
τ (laser pulse duration)	= 1 nsec
λ (laser wavelength)	
D (telescope diameter)	= 2.7 m
R (range)	= 80 km
d_f (focal depth)	= $2\lambda (R/D)^2$
F_λ Flux	$\cong 2E_{laser} / \pi \tau (\lambda R/D)^2$

Case I: Nd Laser ($\lambda=1.06\mu$)
 $\lambda/D = 0.08$ arc seconds
 $(\lambda/D)R = 3.1$ cm
 $d_f = 1.9$ km
 $F_{1.06\mu} = 630$ MW/cm²

Case II: Raman (D₂) Nd laser ($\lambda=1.52\mu$)
 $\lambda/D = 0.115$ arc sec
 $(\lambda/D)R = 4.5$ cm
 $d_f = 2.7$ km
 $F_{1.52\mu} = 312$ MW/cm²

Case III: Raman (N₂) Nd laser ($\lambda=2.1\mu$)
 $\lambda/D = 0.16$ arc sec
 $(\lambda/D)R = 6.3$ cm
 $d_f = 3.8$ km
 $F_{2.1\mu} = 156$ MW/cm²

Note: Plasma production from solid targets starts at 10^6 W/cm² (Reference 1) and $\tau_{\text{sound solid}} = (1 \text{ ns})(5 \text{ km/s}) = 5 \mu$ particle diameter.

Figure 1 Proposed Gregorian arrangement for focusing laser radiation to high altitudes through an ideal homogenous atmosphere. Fluxes for 10 J/pulse - 1 nanosecond duration lasers focused to 80 km are included.

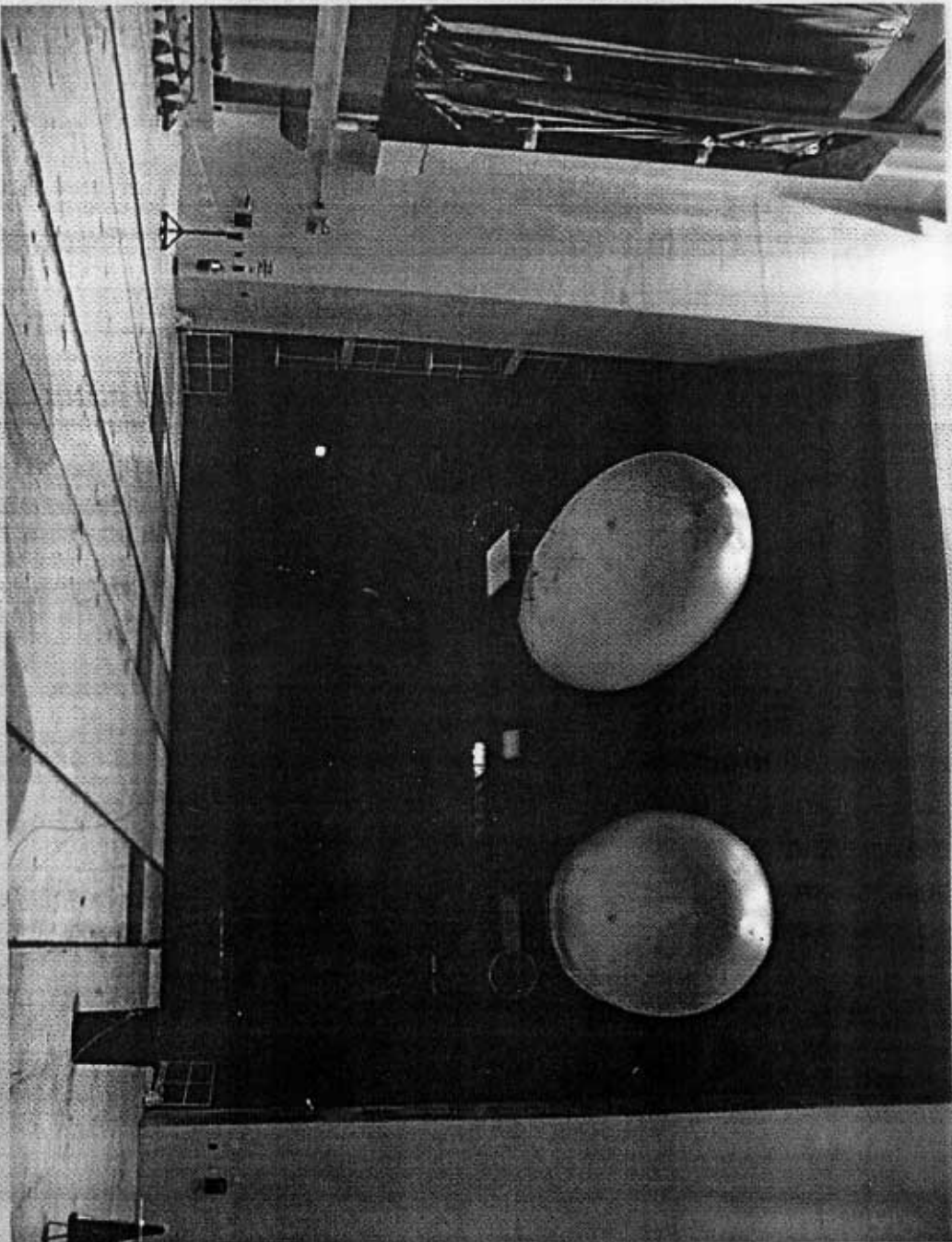
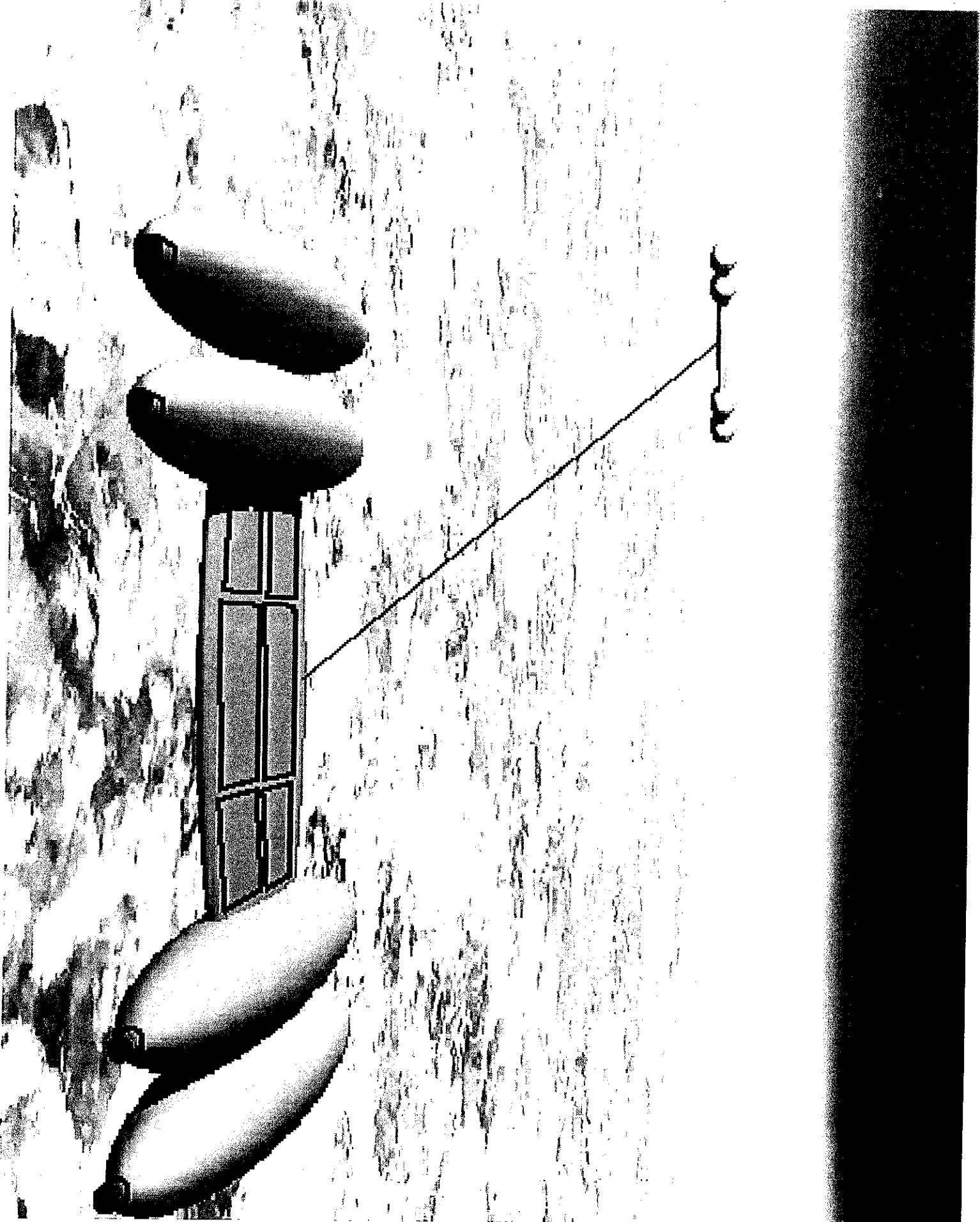


Fig 8c Platform driven by NIFE ion engines at
NASA Plum Brook test Facility.



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Electron N

$$\frac{dN}{dt} = g_i + \nu_{im} N - \nu_a N + \nu_a N^- - \alpha N(N+N^-)$$

$$\frac{dN^-}{dt} = \nu_a N - \nu_a N^- - \alpha N^-(N+N^-)$$

negative ions

$$\nu_a \approx k_1 N_{O_2} N_{O_2}$$

TRIPLE COLLISIONS

GUREVICH
PHELPS

$$k_1 = 1.4 \times 10^{-29} \exp\left(-\frac{600}{T_e}\right) \text{ cm}^6/\text{s}$$

$$\nu_a \approx \nu_{ph} + R_6 N_{O_2^*} + k_7 N_O + k_8 N N$$

COLLISIONS WITH O_2^* WITH O WITH N

$$N \approx N^+ \frac{\nu_a}{\nu_a + \nu_d}$$

$$\nu_a, \nu_d \gg \nu_i$$

the appearance of negative ions, play an essential role. The ionization balance equations for the concentrations N of the electrons and N^- of the negative ions then take the form

$$\begin{aligned} \frac{dN}{dt} &= q_i + v_{\text{ion}}N - v_a N + v_d N^- - \alpha N(N + N^-), \\ \frac{dN^-}{dt} &= v_a N - v_d N^- - \alpha_i N^-(N + N^-). \end{aligned} \quad (2.251)$$

Here, as usual, q_i is the total intensity of the ionization produced by the external source and v_{ion} is the frequency of the molecule ionization by the fast electrons [Eqs. (2.177), (2.178)]. We note that the exponential in Equation (2.177) contains a large quantity, so that the dependence of v_{ion} on E_0 , ω , and N_m is determined in the main by the exponential term.

Next, v_a is the frequency of electron attachment to the molecules. Under the conditions of the lower ionosphere, an important role is played by the attachment of electrons to oxygen molecules in triple collisions, and also by dissociative attachment to the ozone and oxygen molecules

$$v_a = (k_1 N_{\text{O}_2} + k_2 N_{\text{N}_2}) N_{\text{O}_2} + k_3 N_{\text{O}_3} + k_4 N_{\text{O}_2} \quad (2.251a)$$

Here k_1 and k_2 are the attachment coefficients for triple collisions. According to Phelps (1969),

$$k_1 = 1.4 \cdot 10^{-29} \exp\left(-\frac{600}{T_e}\right) \text{cm}^6/\text{s}, \quad k_2 = 1.0 \cdot 10^{-31} \text{cm}^6/\text{s} \quad (2.251b)$$

The electron temperature is expressed here in K. The coefficient to ozone is $k_3 \simeq (1-10) \cdot 10^{-12} \text{cm}^3/\text{s}$. The coefficient of dissociative attachment to oxygen k_4 is given by Equation (2.177a) and (2.178a).

Next, v_d is the electron detachment frequency. Important processes in the ionosphere are photodetachment, detachment in collisions with molecules, and associative detachment:

$$v_d = v_{\text{ph}} + (k_4 N_{\text{O}_2} + k_5 N_{\text{N}_2} + k_6 N_{\text{O}_2}) + (k_7 N_{\text{O}} + k_8 N_{\text{N}}). \quad (2.251c)$$

Here v_{ph} is the photodetachment frequency; under conditions of the daytime ionosphere, $v_{\text{ph}} \simeq 0.44 \text{s}^{-1}$ (Whitten and Poppoff, 1965). The coefficients k_4 and k_5 for detachment in collisions with oxygen and nitrogen molecules, respectively, at lower-ionosphere temperatures $T \sim 200-300 \text{K}$, are small: $k_4 \sim 10^{-22}-10^{-19} \text{cm}^3/\text{s}$ and $k_5 \sim 10^{-23}-10^{-20} \text{cm}^3/\text{s}$.

More significant here is apparently the detachment in collisions with excited oxygen, with $k_6 \approx 2 \cdot 10^{-10} \text{ cm}^3/\text{s}$ (N'_{O_2} is the concentration of the excited $\text{O}_2(\Delta_g)$ molecules). The coefficients $k_7 = 2.5 \cdot 10^{-10} \text{ cm}^3/\text{s}$ and $k_8 = 3 \cdot 10^{-10} \text{ cm}^3/\text{s}$ describe associative detachment in collisions with oxygen and nitrogen atoms ($\text{O}_2^- + \text{O} \rightarrow \text{O}_3 + e$, $\text{N} + \text{O}_2^- \rightarrow \text{NO}_2 + e$). We note that we consider here detachment only for the O_2^- ions. The O_2^- ions vanish mainly through processes of associative detachment (Phelps, 1969).

Finally, α is the dissociative recombination coefficients:

$$\alpha = \alpha_1 n_{\text{NO}^+} + \alpha_2 n_{\text{O}_2^+} + \alpha_3 n_c. \quad (2.251d)$$

In contrast to Equation (2.223), we took into account here also dissociative recombination of heavy ion clusters $\alpha_3 n_c$, with a coefficient $\alpha_3 \sim 10^{-5} \text{ cm}^3/\text{s}$ and a relative cluster concentration $n_c = N_c^+ / (N^- + N)$; it rises abruptly in the region of the D layer, at $z \leq 80 \text{ km}$, where the ion clusters frequently predominate (Goldberg and Aikin, 1971; Bauer, 1973; Danilov and Simonov, 1975). The recombination coefficient of the positive and negative ions is $\alpha_i \sim 10^{-7} \text{ cm}^3/\text{s}$ (Biondi, 1970; Bauer, 1973).

We emphasize that the complete system of balance equations must include the equations of ion kinetics, of the type considered in Section 2.5.1. We are forced here to confine ourselves to the approximate system of Equations (2.251), since the exact composition of the negative and positive ions in the D region is still not sufficiently well known, nor are the coefficients of the corresponding ionic reactions.

We proceed to the analysis of the stationary solution of Equations (2.251). From the second equation of Equation (2.251) it follows that

$$N^- = N v_a / [v_d + \alpha_i (N + N^-)].$$

Using the quasineutrality condition $N + N^- = N^+$, we express the concentrations of the electrons and of the negative ions in terms of the concentration of the positive ions N^+

$$N = N^+ \frac{v_d + \alpha_i N^+}{v_a + v_d + \alpha_i N^+}, \quad N^- = N^+ \frac{v_a}{v_a + v_d + \alpha_i N^+}. \quad (2.251e)$$

Substituting these expressions in the first equation of Equation (2.251), we have for N^+ the cubic equation

$$q_i (v_a + v_d + \alpha_i N^+) + v_{\text{ion}} N^+ (v_d + \alpha_i N^+) - N^{+2} (\alpha_i v_a + \alpha v_d + 2\alpha_i N^+) = 0.$$

